

Grain Boundary Diffusion of Iron , Cobalt and Chromium in High Purity Iron

Akiko Inoue

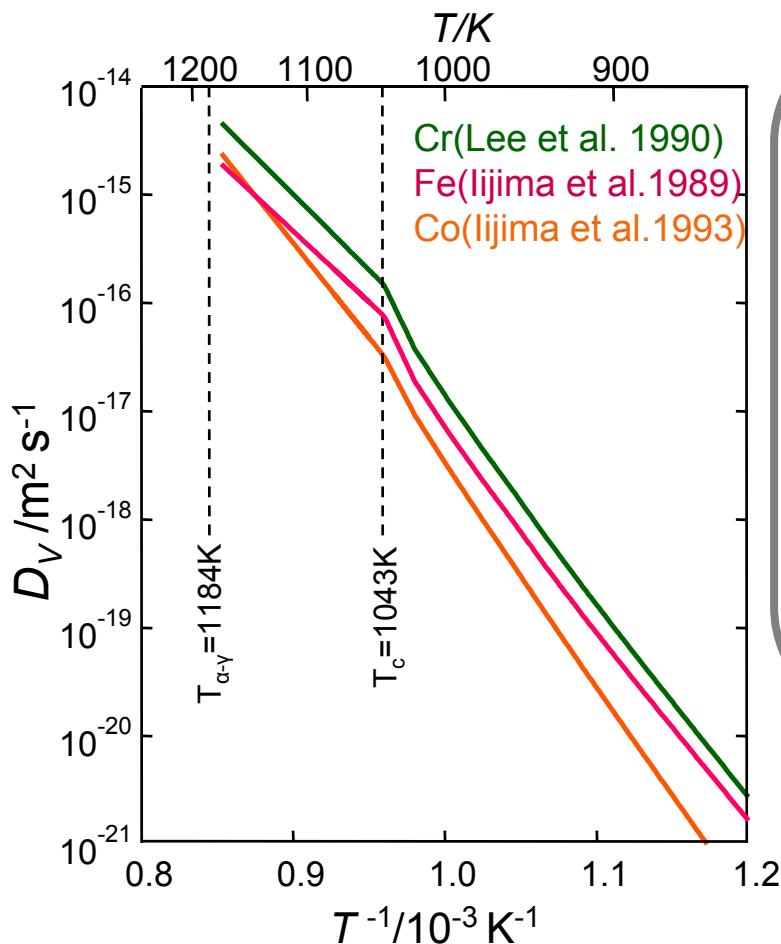
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Self-diffusion

→ Downward deviation below T_c

Impurity diffusion

Magnetic influence

Co : larger
Cr : smaller } than Fe

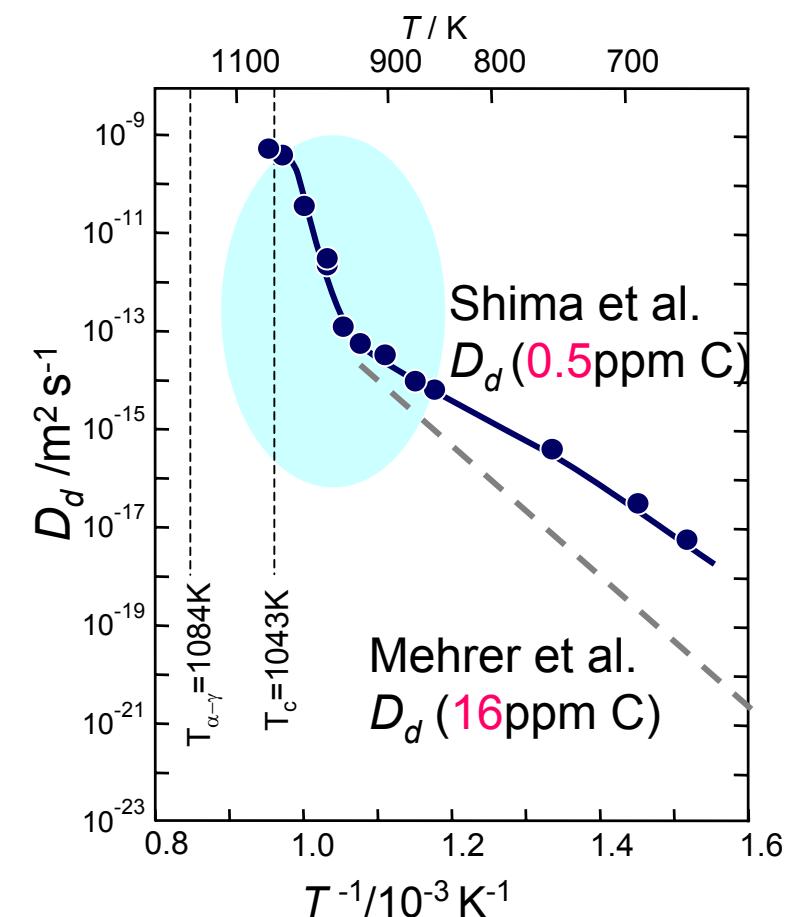
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Isotope effect

The influence of
magnetic spin ordering

Introduction

Self-diffusion along dislocation in Iron



Dislocation diffusion

Mehler (16 ppm C)

Linearity

Shima (0.5 ppm C)

decrease remarkably

Magnetic influence

D_d : stronger than that on D_v

Grain boundary diffusion

Large magnetic influence

High purity iron : not studied

Objective

Accurate determination of the grain boundary diffusion
and the influence of magnetic spin ordering
on grain boundary diffusion in high purity iron

Preparation of Specimens

High purity electrolytic iron ^(.1)

Induction-melting
(in a cold-copper crucible)

Hot-forging and machining ^(..)

Grain size.500 μm

Electro-polishing

Annealing
to stabilize grain boundary

Grain size.2~3mm

Mechanical and electro-polishing

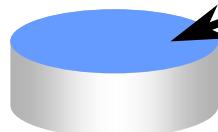
Annealing ^(.3)

Table1, Chemical composition [mass ppm]

..	C	N	O	P	S		
	8	5	40	1	2		
Ni	Cr	Si	B	Cd	Cu		
8	1	2	1	1	1		
Co	H	Mn	As	Sn			
36	2	5	1	1			
.2	C	N	O	P	S	Ni	Si
	9	<5	14	<1	<1	7	0.2
.3	C	N	O	P	S		
	<0.7	1.0	2.0	<0.5	1.0		

Experimental Procedure

Electroplating



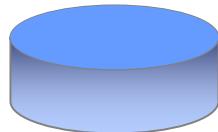
The radioactive tracers

^{59}Fe (γ -ray 1.095 and 1.292MeV, half-life 3.84Ms)

^{57}Co (γ -ray 0.122MeV, half-life 23.4Ms)

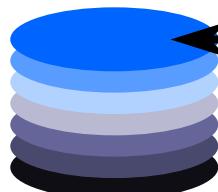
^{51}Cr (γ -ray 0.3205MeV, half-life 2.39Ms)

Diffusion annealing



523~1173K

Serial sectioning



Rate: 0.2~5 μm /section

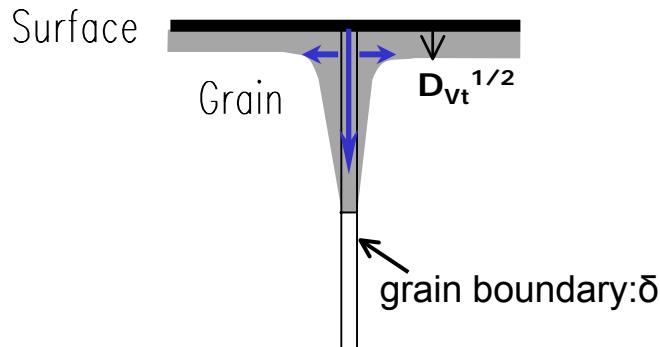
Measurement of
emitted radioactivities

Penetration profiles

Analysis of Grain Boundary Diffusion

<Type B> $100\delta < (D_v)^{1/2} < d/20$

High Temperature
Long annealing time

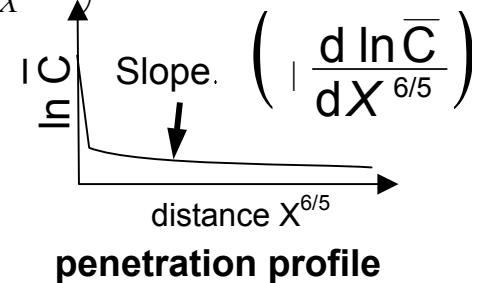


Suzuoka's equation

$$s\delta D_{gb} = 1.206 \left(\frac{D_v^{0.585}}{t^{0.605}} \right)^{\frac{1}{1.19}} \left(\frac{d \ln \bar{C}}{dX^{6/5}} \right)^{\frac{5}{2.975}} \quad (10^2 < \beta < 10^4)$$

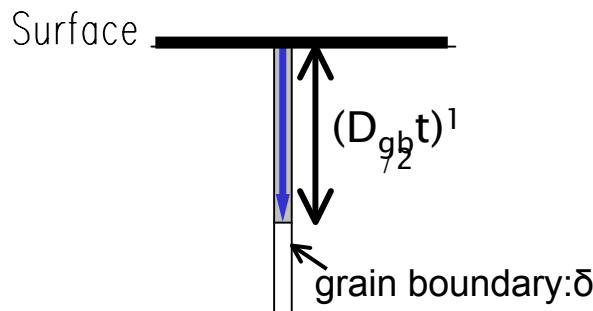
$$s\delta D_{gb} = 1.308 \left(\frac{D_v}{t} \right)^{\frac{1}{2}} \left(\frac{d \ln \bar{C}}{dX^{6/5}} \right)^{\frac{5}{3}} \quad (10^4 < \beta)$$

$$\beta = \frac{s\delta D_{gb}}{2D_v^{3/2} t^{1/2}}$$



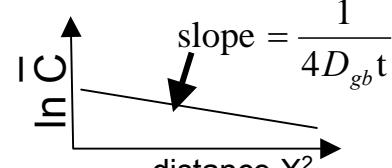
<Type C> $20(D_v)^{1/2} < \delta$

Low Temperature
short annealing time



The solution of Fick's second law

$$I(X, t) \propto \bar{C}(X, t) = \frac{M}{\sqrt{4D_{gb}t}} \exp\left(-\frac{X^2}{4D_{gb}t}\right)$$

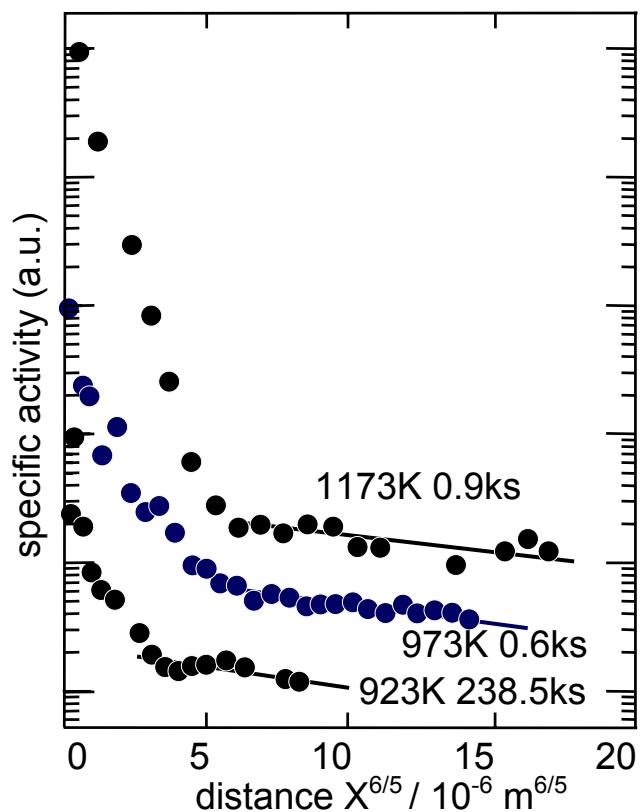


penetration profile

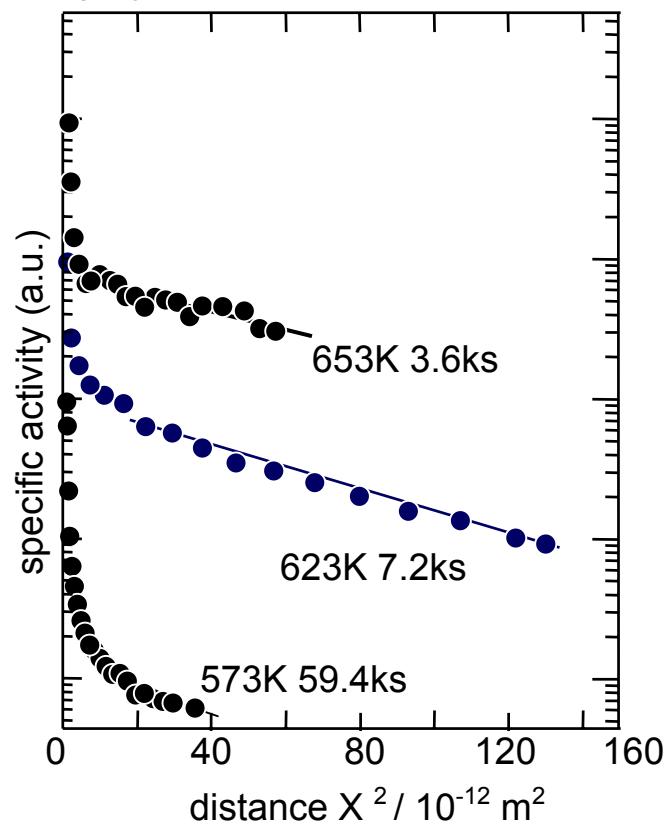
Results

Penetration profiles of ^{59}Fe in High Purity Iron

a) Type B: 900~1173K



b) Type C: 500~850K

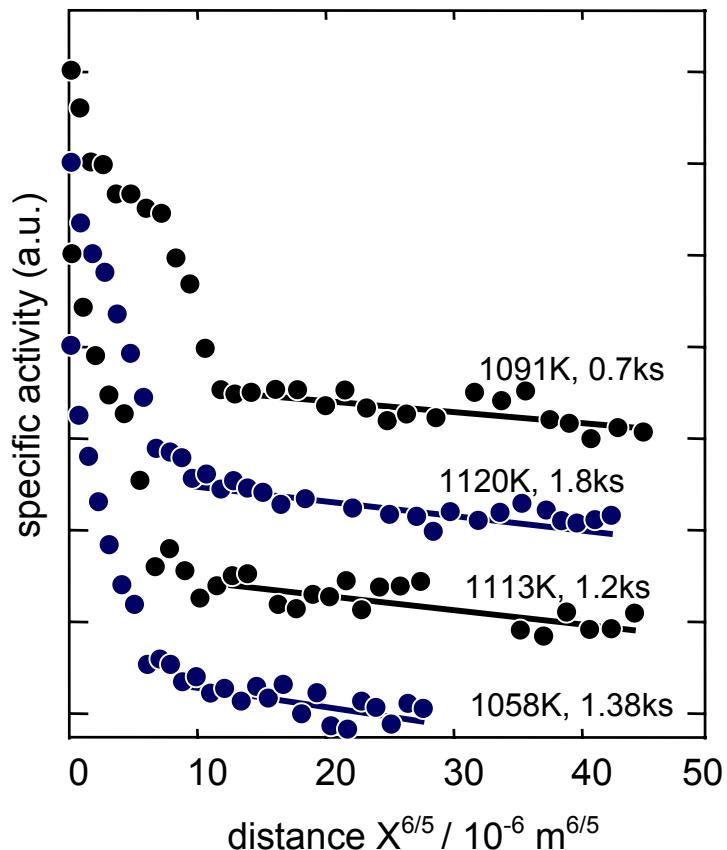


Examples of penetration profiles for grain boundary diffusion of ^{59}Fe in high purity iron

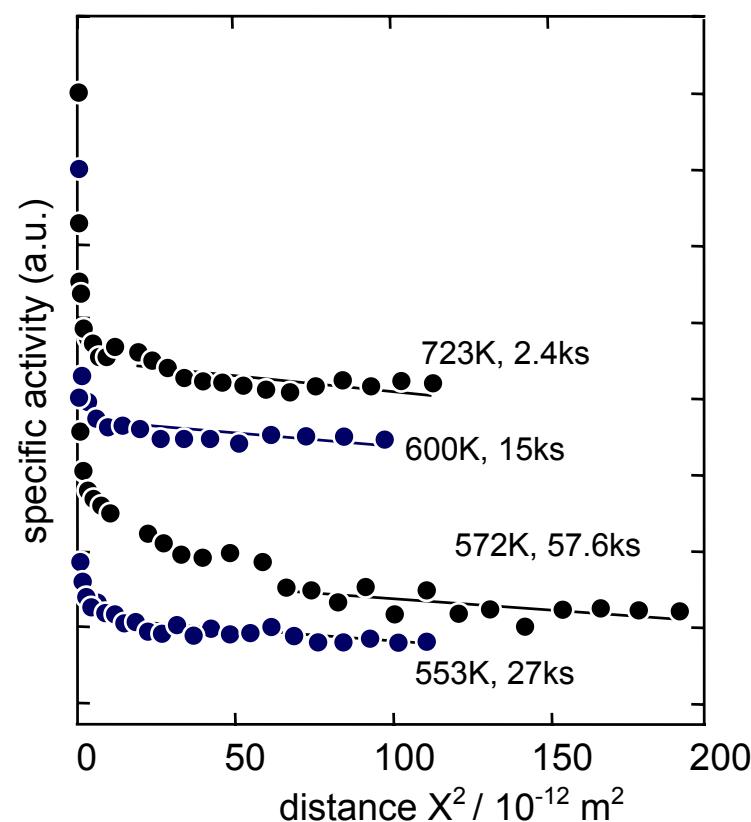
a) Type B (900~1173 K) and b) Type C (500~850K)

Results Penetration profiles of ^{57}Co in High Purity Iron

c) Type B: 873~1173K

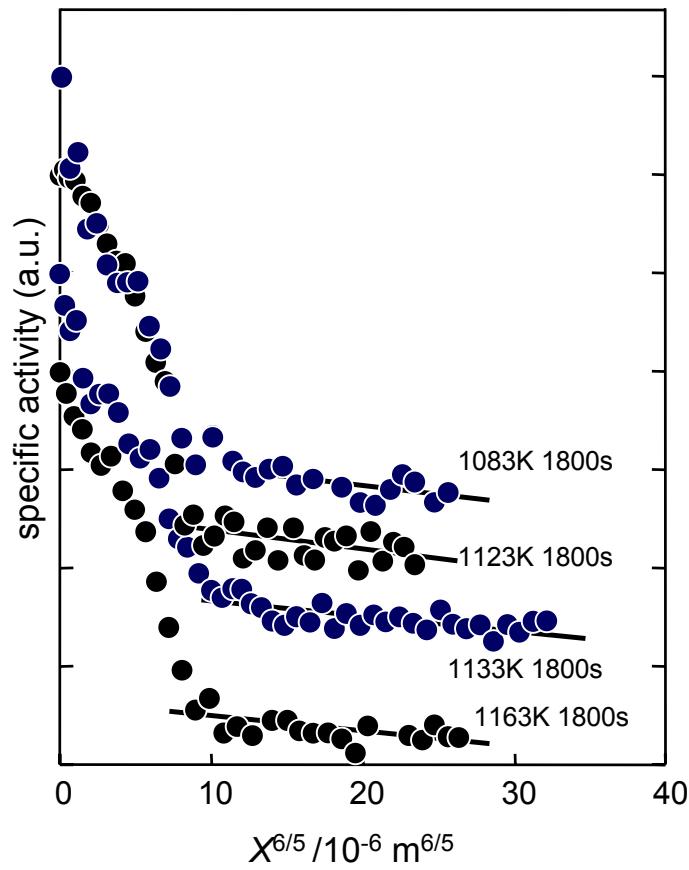


d) Type C: 523~703K

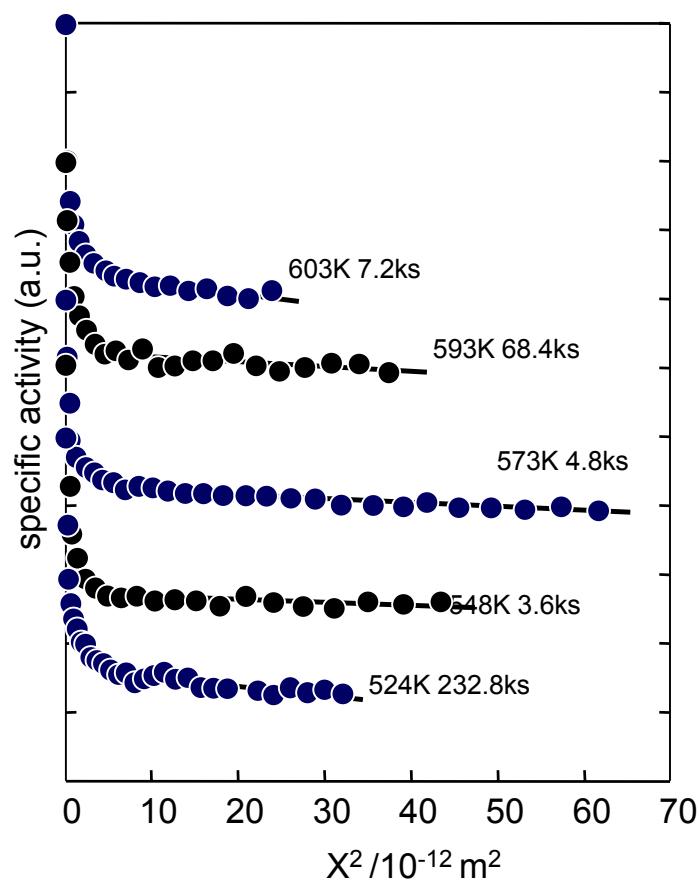


Examples of penetration profiles for grain boundary diffusion of ^{57}Co in high purity iron
c) Type B(873~1173 K) and d) Type C(523~703K)

e) Type B: 1053~1163K



f) Type C: 524~603K

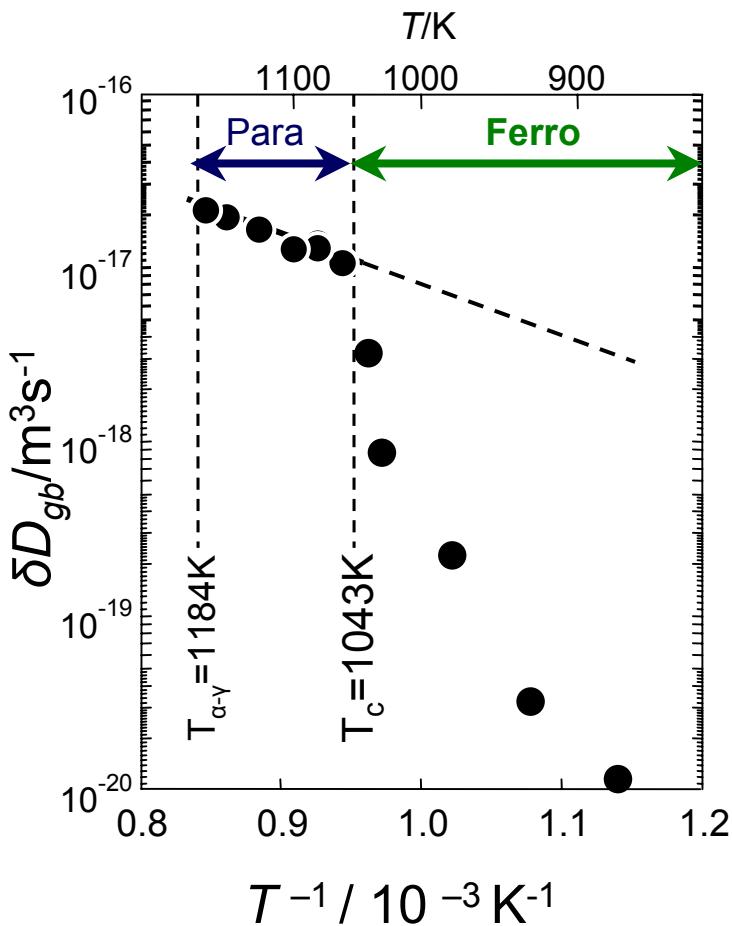


Examples of penetration profiles for grain boundary diffusion of ^{51}Cr in high purity iron

e) Type B (1053~1163K) and f) Type C (524~603K)

Results Grain Boundary Diffusion of Fe in High Purity iron

Arrhenius plots of δD_{gb} of Fe
in Type B kinetics regime

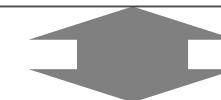


Paramagnetic state

Linearity

$$Q^P = 55.7 \text{ kJmol}^{-1}$$

$$\delta D_{gb,0} = 6.53 \times 10^{-15} \text{ m}^3 \text{s}^{-1}$$



Ferromagnetic state

Downward deviation



Grain Boundary Diffusion in iron
is affected by

Magnetic Spin Ordering

Results Grain Boundary Diffusion of Fe in High Purity iron

Volume diffusion

Ruch et al. 1976

$$D/m^2 s^{-1} = D_{gb,0}^P \exp\left[-\frac{Q^P(1+\alpha M^2)}{RT}\right]$$

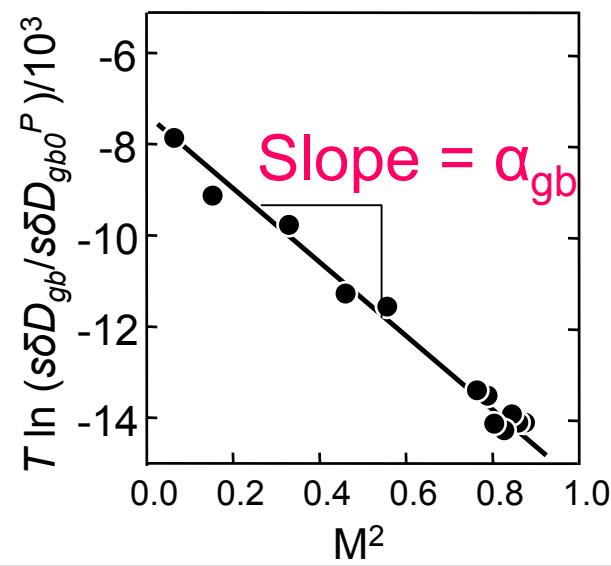
M : the ratio of the spontaneous magnetization
 α : extent of the influence of the magnetic spin ordering on diffusion

Extension

Grain boundary diffusion

$$\delta D /m^3 s^{-1} = \delta D_{gb,0}^P \exp\left[-\frac{Q^P(1+\alpha M^2)}{RT}\right]$$

$$\frac{RT}{Q^P} \ln \frac{\delta D}{\delta D_{gb,0}^P} = -(1 + \alpha M^2) \rightarrow \alpha_{gb} = 1.28$$



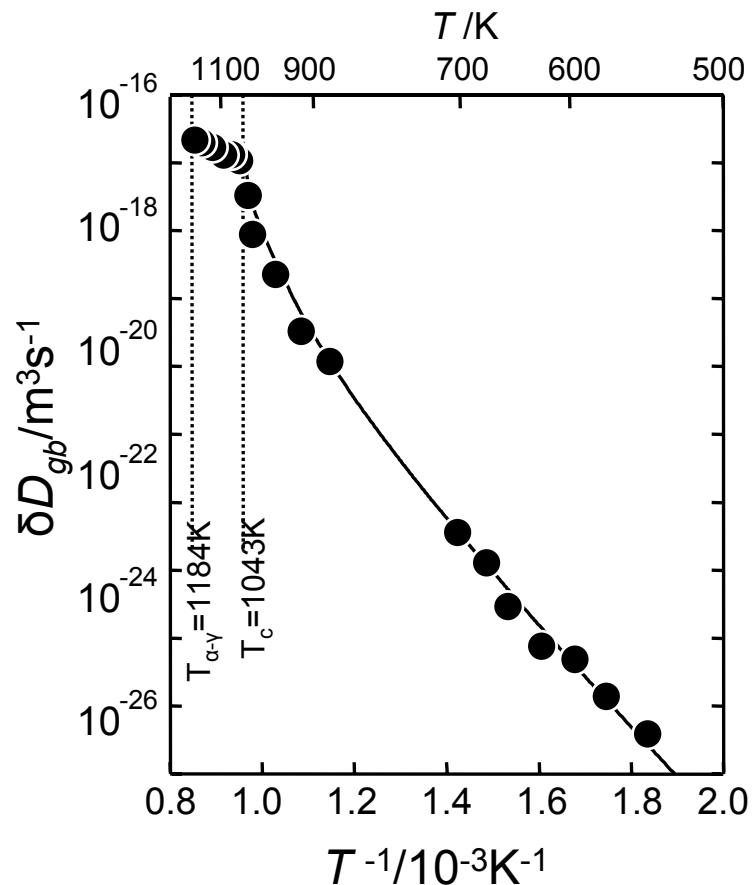
Results Grain Boundary Diffusion of Fe in High Purity iron

Grain boundary diffusion : δD_{gb}

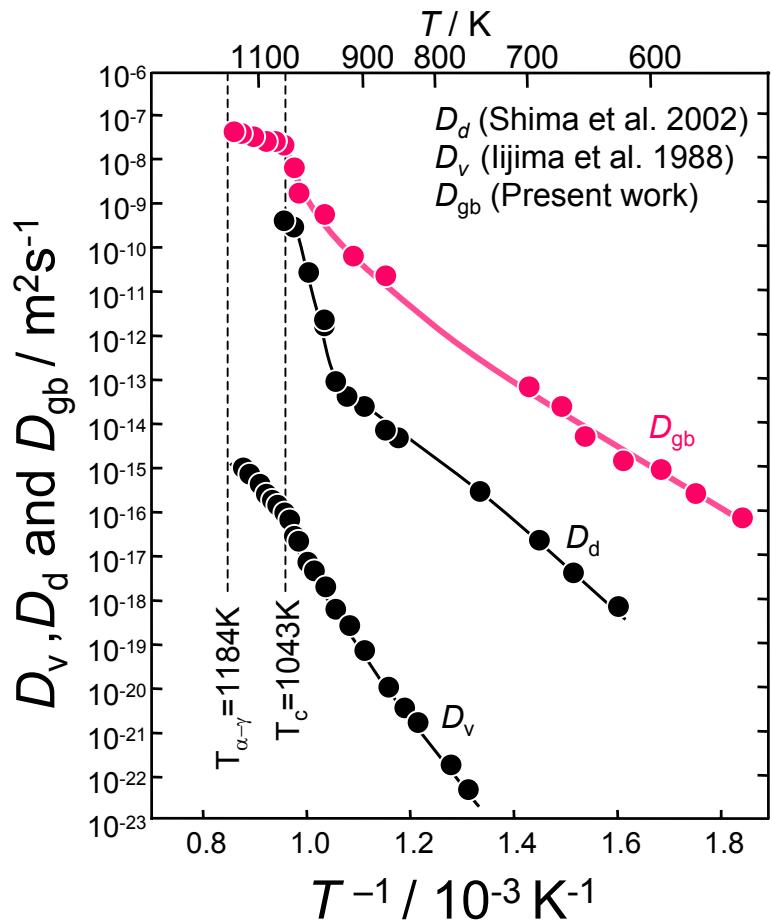
$$\delta D / \text{m}^3 \text{s}^{-1} = \delta D_{gb,0}^P \exp \left[-\frac{Q^P (1 + \alpha M^2)}{RT} \right]$$

$Q^P = 55.7 \text{ kJ mol}^{-1}$
 $\delta D_{gb,0} = 6.53 \times 10^{-15} \text{ m}^3 \text{s}^{-1}$
 $\alpha_{gb} = 1.28$

$$\delta D_{gb} / \text{m}^3 \text{s}^{-1} = 6.53 \times 10^{-15} \times \exp \left[-\frac{55.7 \text{ [kJ/mol]} (1 + 1.28 M^2)}{RT} \right]$$



Grain boundary diffusion in high purity iron
The magnetic influence
was observed *for the first time*

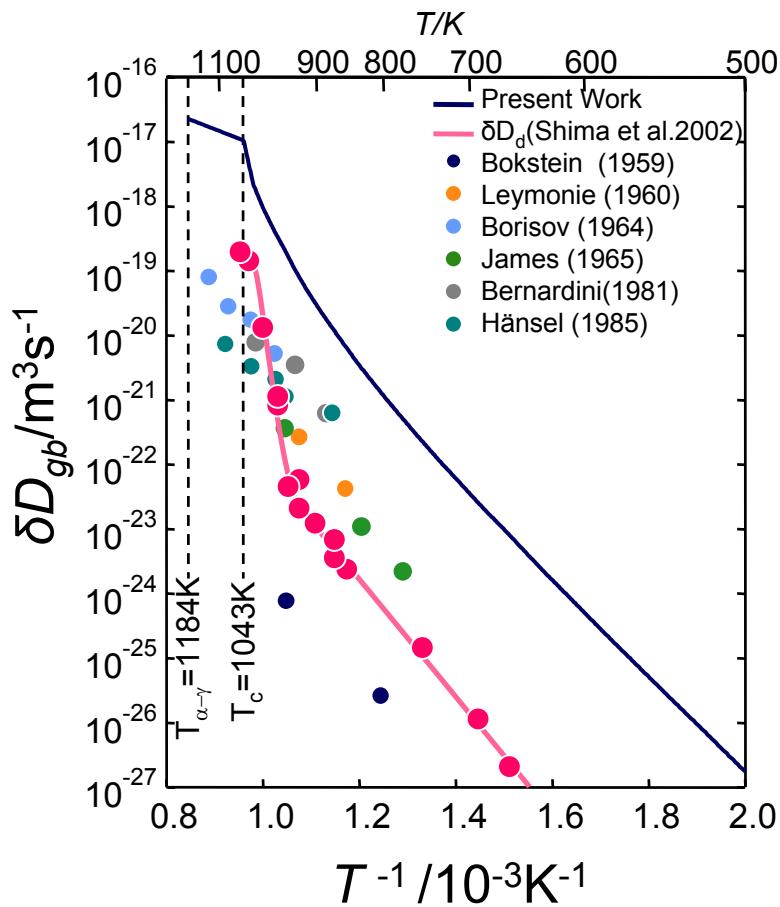


Self-diffusion in high purity iron



Affected by magnetic spin ordering

$$\alpha_{gb} \gg \alpha_v$$



Present work

Magnetic influence on D_{gb}
 δD_{gb} : larger than the others

High purity iron

Previous works

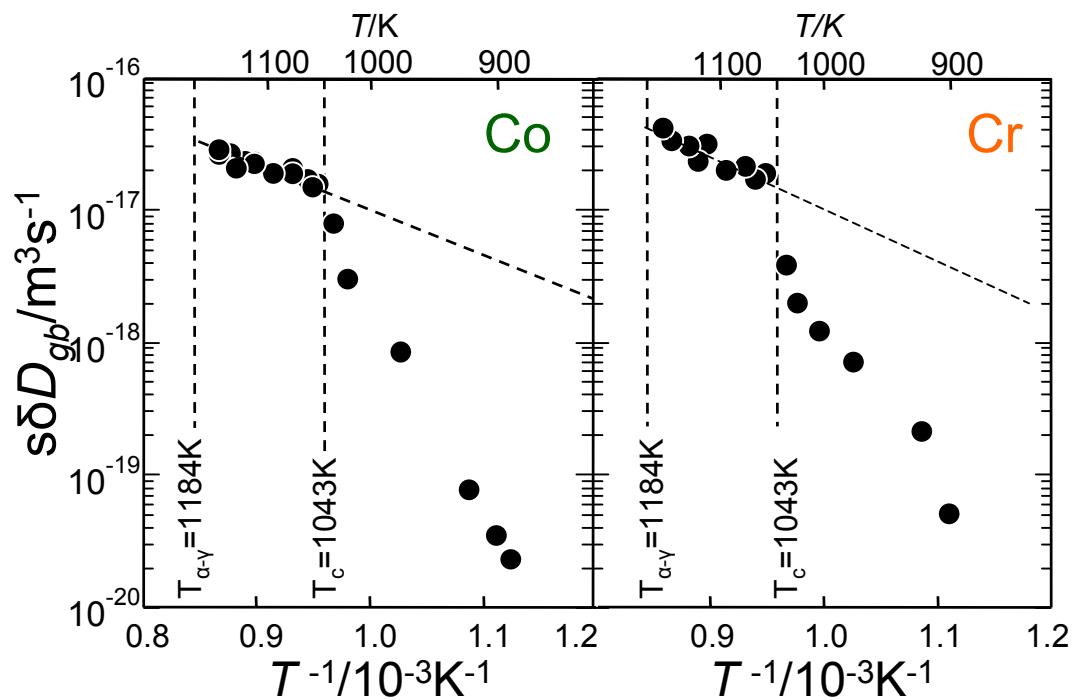
δD_{gb} (past) $\leftrightarrow D_d$

Character of grain boundary

various amounts of impurities
 small angle grain boundary

Results

Arrhenius plots of $s\delta D_{gb}$ of ^{57}Co and ^{51}Cr in High Purity iron.



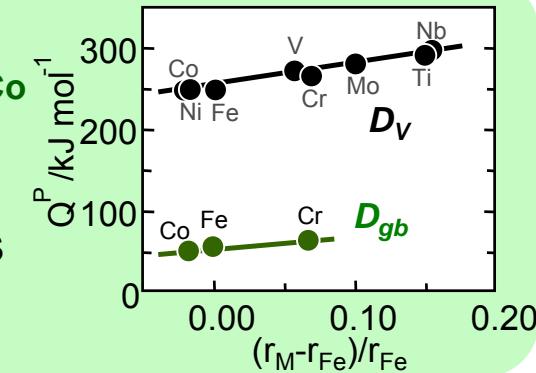
Paramagnetic state
Linear relationship

Ferromagnetic state
Downward deviation

Grain boundry diffusion
is affected by
magnetic spin ordering

	Co	Fe	Cr
$Q^P/\text{kJ mol}^{-1}$	50.4	55.7	63.4
$s\delta D_{gb,0}/10^{-15}\text{m}^3\text{s}^{-1}$	5.0	6.3	28.3

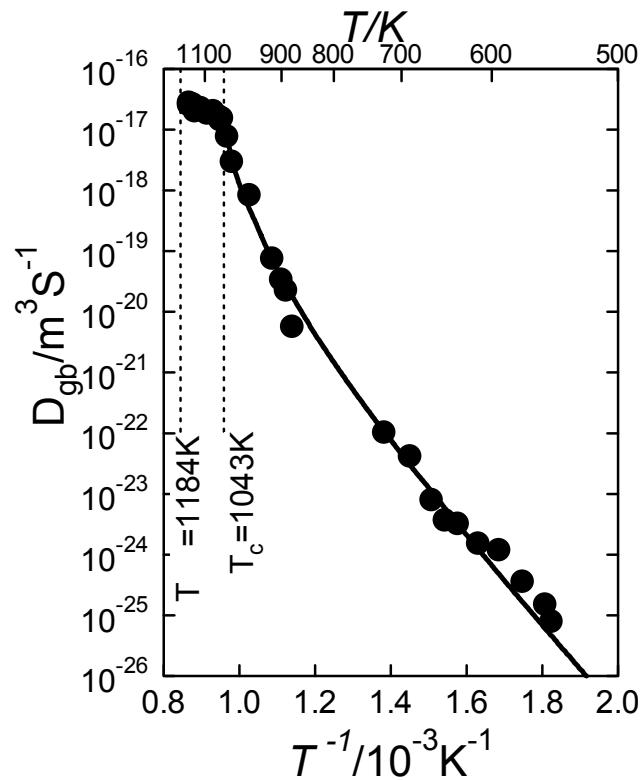
$Q^P_{\text{Cr}} > Q^P_{\text{Fe}} > Q^P_{\text{Co}}$
in proportion to
the atomic radius



Results

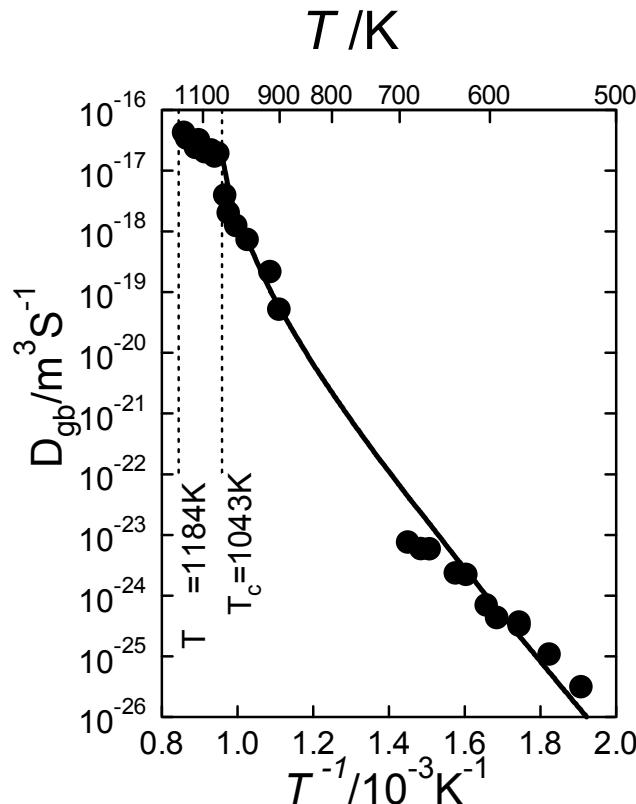
Arrhenius plots of $s\delta D_{gb}$ of ^{57}Co and ^{51}Cr in High Purity iron.

Arrhenius Plot of $s\delta D_{gb}$, Co



$$s\delta D_{gb}/m^3 s^{-1} = 5.0 \times 10^{-15} \times \exp\left[-\frac{50.4 \text{ [kJ/mol]} (1 + 1.49M^2)}{RT}\right]$$

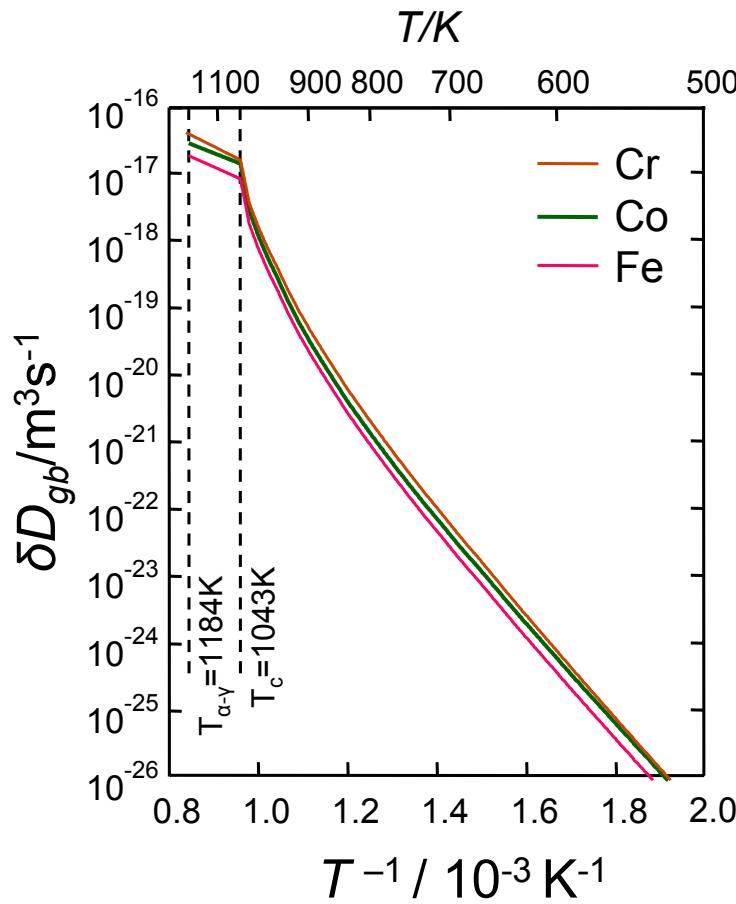
Arrhenius Plot of $s\delta D_{gb}$, Cr



$$s\delta D_{gb}/m^3 s^{-1} = 2.8 \times 10^{-14} \times \exp\left[-\frac{63.4 \text{ [kJ/mol]} (1 + 1.05M^2)}{RT}\right]$$

Results

The Arrhenius plots of Fe, Co and Cr in High Purity Iron



	Co	Fe	Cr
$Q^P/\text{kJ mol}^{-1}$	50.4	55.7	63.4
$s\delta D_{gb,0}/10^{-15}\text{m}^3\text{s}^{-1}$	5.0	6.3	28.3
α	1.49	1.28	1.05



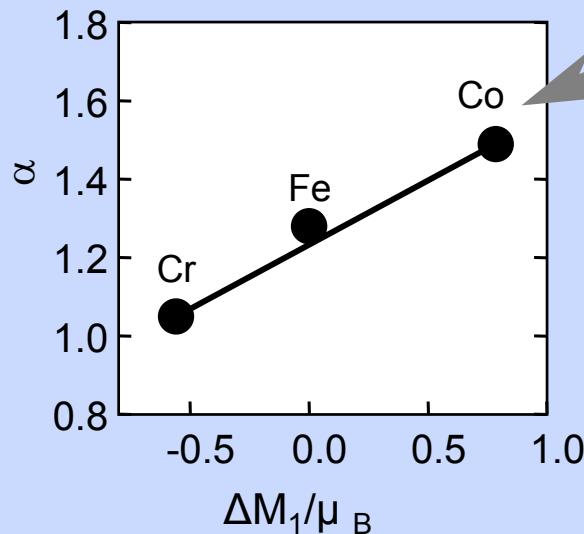
Ferromagnetic state

Degree of magnetic influence

$$\alpha_{\text{Co}} > \alpha_{\text{Fe}} > \alpha_{\text{Cr}}$$

α : Extent of the influence of magnetic spin ordering on grain boundary diffusion

Magnetic influence on grain boundary diffusion



Drittler et al. (1988)

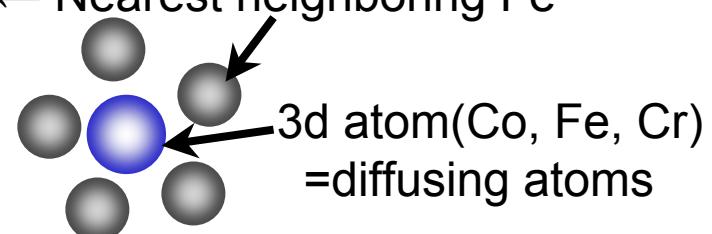
ΔM_1 : the change of **local magnetic moment**

α : the extent of the influence of magnetic spin ordering on **diffusion**

$\Delta M_1 - \alpha$: Linear relationship

The magnetic influence on grain boundary diffusion is caused by **the magnetic field of the nearest neighboring iron atoms**

$\Delta M_1 \leftarrow$ Nearest neighboring Fe



Conclusion

1. The influence of magnetic spin ordering on grain boundary diffusion in iron was observed.
2. The degree of influence of magnetic spin ordering on grain boundary diffusion was larger than that on the volume diffusion.
3. The influence of magnetic spin ordering changes in the following order:
4. The temperature dependence of the Grain Boundary diffusivities of Fe, Co and Cr in high purity α-iron was expressed as follows,

$$\text{Fe: } s\delta D_{gb}/m^3 s^{-1} = 6.35_{-3.19}^{+6.21} \times 10^{-15} \exp\left\{-\frac{(55.7 \pm 6.1 \text{ kJ mol}^{-1})[1 + (1.28 \pm 0.03)M^2]}{RT}\right\}$$

$$\text{Co: } s\delta D_{gb}/m^3 s^{-1} = 5.00_{-2.27}^{+4.17} \times 10^{-15} \exp\left\{-\frac{(50.4 \pm 5.5 \text{ kJ mol}^{-1})[1 + (1.49 \pm 0.03)M^2]}{RT}\right\}$$

$$\text{Cr: } s\delta D_{gb}/m^3 s^{-1} = 2.82_{-2.94}^{+21.0} \times 10^{-14} \exp\left\{-\frac{(64.3 \pm 18.5 \text{ kJ mol}^{-1})[1 + (1.05 \pm 0.03)M^2]}{RT}\right\}$$